

Summary of Divisibility Tests

Number Divisibility Test

The tests for **2, 5, and 10** depend on the last digit, while **4 and 8** are extensions of this.

- 2 One's digit is 0,2,4,6 or 8 (even number)

- 5 One's digit is 0 or 5

- 10 One's digit is 0

- 4 Number formed by last 2 digits is divisible by 4

- 8 The number formed by last 3 digits can be divided by 8
 - Example: 8659 => last 3 digits are 659
 $659/8=82.375$ it does not divide evenly so therefore 8659 is not divisible by 8.

The tests for **3, 9 and 6** depend on the sum of the digits.

- 3 Sum of digits is divisible by 3

- 9 Sum of digits is divisible by 9
 - Example: 8659 => $8 + 6 + 5 + 9 = 28$; 9 is not a factor of 28 so 28 is not divisible by 9, therefore 8659 is not divisible by 9.

- 6 Number is divisible by **2 and 3**. Thus apply the tests for 2 and 3.

Other tests:

- 7 Double the one's digit and subtract that # from the rest of the digits. Repeat this process until the result is obviously divisible by 7, or not.
 - Example: 8659 => double the 9 and subtract from 865
 -18 you get
 847 => double the 7 and subtract from 84
 14
 you get 70; if this number is divisible by 7 then the original number is divisible by 7.

- 11 The difference of the sums from alternate digits is divisible by 11.

 Example 1: **8659** => **8 + 5=13** and $6 + 9=15$; $(13 - 15) = -2$ =>
 8659 is not divisible by 11.
 Example 2: **719,081** => $7 + 9 + 8 = 24$ and $1 + 0 + 1 = 2$;
 $(24 - 2) = 22$ => 719,081 is divisible by 11.

- 12 If the number is divisible by 3 and 4.
- 18 If the number is divisible by 2 and 9.