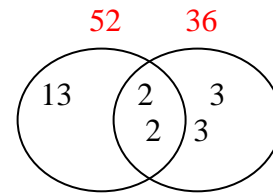


Partial credit is based on work shown!

5pts

1. Add and simplify, showing all your steps.

$52 = 4 \cdot 13 = 2 \cdot 2 \cdot 13$ and $36 = 4 \cdot 9 = 2 \cdot 2 \cdot 3 \cdot 3$ so LCD = 468



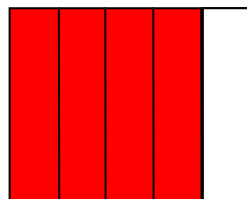
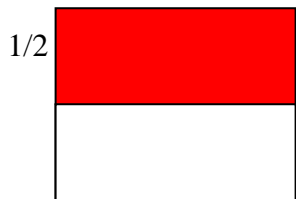
“build-up method” $(13)(36) = 468$

or $(52)(9) = 468$

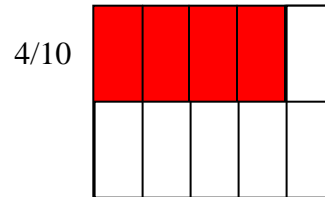
$$\frac{5}{52} + \frac{7}{36} = \frac{9}{9} \cdot \frac{5}{52} + \frac{7}{36} \cdot \frac{13}{13} = \frac{45}{468} + \frac{91}{468} = \frac{136}{468} = \frac{68}{234} = \frac{34}{117}$$

4pts

2. Illustrate $\frac{1}{2}$ of $\frac{4}{5}$ using a rectangular diagram. Clearly label the diagram to indicate each fraction and the answer.



$$\frac{1}{2} \text{ of } \frac{4}{5} = \frac{4}{10}$$



3pts

3. Calculate mentally using the **distributive property**. Show the steps you thought through.

$$6 \left(7 \frac{2}{3} \right) = 6 \cdot \left(7 + \frac{2}{3} \right) = 6 \cdot (7) + 6 \cdot \left(\frac{2}{3} \right) = 42 + 4 = 46$$

4pts

4. Estimate $\left(4 \frac{2}{3} \right) \cdot \left(8 \frac{1}{4} \right)$, using

a. range estimation

Low: $(4)(8) = 32$

High: $(5)(9) = 45$

b. rounding

$(5)(8) = 40$

4pts

5. Without dividing to change the following fractions to decimals, explain how to tell whether each fraction will be a terminating decimal. **First simplify the fraction completely.**

a. $\frac{8}{48} = \frac{1}{6}$ **Not a terminating decimal**

b. $\frac{6}{48} = \frac{1}{8}$ **This will be a terminating decimal.**

The prime factors of 6 are 2 and 3. The prime factors of 8 are 2, 2 and 2.

If the prime factors are only 2 and/or 5, then decimal will terminate; any other prime factors in the denominator of the simplified fraction would cause the decimal to be infinite repeating.